

Learning Outcomes of using Real Life (or Everyday) Examples in Mechanics Stream of Courses

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Abstract

The author received a mini-grant from E^3 (Everyday Examples in Engineering) Organization the purpose of which is to help instructors both to use the existing examples from the organization and also to develop more examples of common interest to the students taking courses in the math, science and engineering areas. Per the information provided on the URL of this organization (http://www.engageengineering.org/?pag=40), there are three types of Everyday Examples in Engineering (E3s). First are lesson plans and solutions, most of which have been prepared using the principle of the 5Es: Engage, Explore, Explain, Elaborate and Evaluate. The second type are demonstrations, including directions for building and using the demonstrations. The third type are lists of engineering ideas that could be used to illustrate engineering concepts. All of the Everyday Examples are organized by course area, which are listed on their webpage. While developing the new examples, one of the main things is to innovatively come up with ideas that every student has already seen or experienced in daily life. Based on this presumption, the students use the physics and engineering principles to formulate and to solve the problems posed in those examples using justifiable engineering assumptions.

Out of the three types discussed above, the author along with the students in Solid Mechanics and Finite Element Analysis courses has mostly used the first types (lesson plans and solutions) and some of third types (development of engineering ideas to illustrate engineering concepts). The author has used some of the available examples while teaching the junior level Solid Mechanics course and the senior level Finite Element Analysis course, and asked the students to come up with new ideas and examples. One of the examples was to study various bookshelf designs and perform bending analysis that yields smallest maximum deformation. The students have to figure out the weight distributions due to books and calculate the maximum deflection of the shelf made from different materials and different cross sections. This way they know why a certain cross section and material are used for carrying heavy books in libraries. They can also come up with new designs for improving the aesthetics and life of those (although we didn't do much in this direction). Another example is to study Van Phillips's prosthetic leg and analyze it as a curved beam. This was also modeled in NX9.0 to compare the results.

In this paper the author will enumerate different examples and present the assessment and learning outcomes of using real life examples in the classes.

Introduction

As instructors, we routinely try to use several real life examples in the classes we teach, whether they are engineering or non-engineering subjects. Other fields such as medical, fine arts, media and communication, etc., cannot do away without using and practicing real life scenarios. Bringing real life examples to impart engineering experience to a student has been very

challenging perhaps due to the way the curricula have been designed. Laboratory experiments tend to supplement what we teach in theory classes; however, not always they go hand in hand to get the students' attention and ability to gain insights in to a clear understanding of the underlying concepts discussed in the theory that they perceive. As instructors, we try our level best to narrow this gap by bringing demonstration apparatuses to classes, involve industry speakers to speak to the class, or show media clips, etc., which certainly help the majority of students to learn engineering principles just in time. Organizations such as "engage" funded by the NSF [1] provide several lesson plans and solutions that guide the instructors to readily bring those for use in their classrooms. All lesson plans and examples in "engage" are organized under each department and by course areas such as:

Mathematics (Calculus and Differential Equations), Chemistry, Mechanical and Electrical Engineering (Circuits, Control Systems, Dynamics, Elasticity and Plasticity, Engineering Design, Engineering Graphics, Fluids, Introduction to Engineering, Manufacturing, Material Failure, Mechanics, Statics, Stress and Strain, Thermodynamics), Physics, Properties of Materials, and other Examples & Activities for Pre-College Students.

If one were to go through their website and the list of lessons, it will become clear that the field of mechanical engineering and physics dominates compared to the other fields and areas, thus giving a huge scope and opportunity to develop more lesson plans and examples in the other academic areas and courses. Although most of these examples are provided by and used by a limited number of faculty, opportunities are there to market them more effectively to students and other faculty. These examples serve as a repository to the students providing some sort of 'blended' or 'flipped classroom' atmosphere.

Numerous studies support these teaching methods [2, 3]. Blumenfeld et al. [4] elaborate on the processes of PBL: "Project-based learning is a comprehensive perspective focused on teaching by engaging students in investigation. Within this framework, students pursue solutions to nontrivial problems by asking and refining questions, debating ideas, making predictions, designing plans and/or experiments, collecting and analyzing data, drawing conclusions, communicating their ideas and findings to others, asking new questions, and creating artifacts." There are numerous other papers presented on these topics at ASEE and other educational conferences [5, 6].

Many examples were developed by the students from the Solid Mechanics and Finite Element Analysis related classes that the instructor taught in Spring 2014 and during other academic terms. Some of these are as follows:

- a) Axially-loaded members to determine the stress and deflection
 - i. Light hanger in Café on the Campus understand the load, geometry and material to estimate the safety factor in the design of those
 - ii. Cable wires on highway hanging bridges understand the load, geometry and material for the wires and the miscellaneous parts to estimate the weight of the bridge
- iii. Air-conditioning ducts and decorating panel hanging wires in the Café
- iv. Rods or beams supporting the running track in the recreation center
- v. Bungee cords used for kids entertainment at a local area Mall
- vi. 'Tug of war' between a crocodile and an elephant's trunk (ill-defined problem)

- b) Torsion-loaded members to determine the stress and deflection
 - i. Twist drill understand cutting forces and estimate torsional shear stress and deflection in the drill
 - ii. Torso twisting to estimate stresses in various anatomical members of human body (ill-defined problem)
- c) Bending and torsion principles
 - i. Stop sign on the roads bending and torsion of vertical poles based on geometry
 - ii. Skating board mechanics I discussed a sample lesson on this from Statics module of E^3 examples
- iii. Analysis of bookshelves in the university library distributed load
- iv. Model of a cantilever beam with several pointed loads wing plane spar
- v. Pencil sharper
- vi. Pressurized cylinders

Brief details of the bookshelf project from solid mechanics course are presented below:

Bookshelf Mini-Project (as reported by the student group)

Introduction

The purpose of this project is to study the load distribution on existing bookshelves, their durability and robustness to carry a variety of book loads. Based on these self-studies, they are asked to find the ideal distances between the supports on a bookshelf made of three different cross sections and two different materials. Calculated values for the load, moment of inertial, and distance to the neutral axis are based off of measurements taken from a sample bookshelf containing books.

Actual data

The students visited the library and other places on campus and took photographs of various bookshelves. They used measurement devices to obtain the geometric dimensions and weight of the books, as well as, the bookshelves. They submitted a report containing detailed calculations and the photographs. Figure 1 shows few pictures of the shelf with the measurement equipment used, and Figure 2 shows the model of the beam that the students used showing the distributed load due to books. It is curious to observe how thick and heavy some books can be for the students to carry in their backpack every day. Figure 3 shows typical data and calculations carried out for these.



Figure 1: Book width=6.25 inch; weight=20.4 lbf; shelf=(47.81 x 11.82 x 0.63)

Modeling and Calculations

As mentioned before, the book shelf is modeled as a double overhang beam with nonuniform distributed load. This is shown in Figure 2. Total weight of the books was obtained by measurements using a bathroom balance. Linear dimensions were obtained by a ruler and Vernier calipers.



Figure 2: Distributed beam model of each book shelf

Calculations

Tabular data in Figure 3 shows calculations of deflections at two critical locations of the beam as a function of the overhang amount. The last column is actually for a horizontal channel section. Standard beam deflection tables and excel math program have been used in arriving at this data. Hand calculations were also expected to validate some of the results.

rectangular cross-section			T-bar cross-section		
material: white pine			material: white pine		
E = 1.5 * 10 ⁶ psi			E = 1.5 * 10 ⁶ psi		
I = 0.246 in ⁴			I = 0.735 in ⁴		
distance to neutral axis = 0.315 in			distance to neutral axis = 0.707 in		
length = 47.81 in			length = 47.81 in		
c (in)	deflection at	deflection at	a (im)	deflection at	deflection at
c (In)	ends (in)	center (in)	C (III)	ends (in)	center (in)
0	0.000	0.602	0	0.000	0.201
2	-0.061	0.420	2	-0.020	0.141
4	-0.087	0.275	4	-0.029	0.092
6	-0.083	0.164	6	-0.028	0.055
8	-0.054	0.082	8	-0.018	0.027
10	-0.007	0.026	10	-0.002	0.009
10.25	0.000	0.021	10.25	0.000	0.007
10.5	0.007	0.016	10.5	0.003	0.005
10.75	0.015	0.011	10.75	0.005	0.004
11	0.022	0.007	11	0.008	0.002
12	0.088	-0.018	12	0.029	-0.006
15	0.158	-0.028	15	0.053	-0.009

U-shaped cross-section						
material: steel						
E = 29 * 10 ⁶ psi						
$I = 0.0256 \text{ in}^4$						
distance to neutral axis = 0.486 in						
length = 47.81 in						
c (in)	deflection at	deflection at				
C (III)	ends (in)	center (in)				
0	0.000	0.295				
2	-0.030	0.206				
4	-0.043	0.135				
6	-0.041	0.080				
8	-0.027	0.040				
10	-0.003	0.013				
10.25	0.000	0.010				
10.5	0.004	0.008				
10.75	0.007	0.005				
11	0.011	0.003				
12	0.043	-0.009				
15	0.077	-0.014				

Figure 3: Calculated data for different bookshelf sections

Conclusions and learning outcomes from the bookshelf project (as written by students, and slightly edited by the author)

When the cross-section and material of the bookshelf changes the magnitude of the deflection also changes. However, the position of the supports that produce the minimum deflection does not change. For each cross section and material the ideal position of the supports is about 10.75 inch from the end. Because the length of the shelf is 47.81 in, the supports should be placed 22.5% of the way in from the end of the shelf to achieve the minimum deflection at the ends and at the center. At this position, the maximum deflection of the rectangular cross-section made of white pine was at the ends with a value of 0.015 in. The maximum deflection of the T-bar cross-section made of white pine was at the ends with a value of steel was at the ends with a value of 0.007 in. This shows that bookshelves with combined structural cross-sections than a rectangle will have less deflection. Stress calculations show that the values are well below limits and deflection rather than stress govern the design.

The actual bookshelf that was measured had supports at 8.63 in from the ends. The design of the shelf could be improved if the supports were moved closer together by roughly 2 in. Calculations were made off a calculator on engineersedge.com.

As mentioned before and as a part of this work, the students are expected to check their work through simple calculations. An image of their hand calculations is shown in Figure 4 to obtain the section properties of the bookshelves.

	$I = \frac{1}{2} bh^{2}$ $V = \frac{1}{2} (bh^{2} + bh^{2} + bh^$	b=11.82 in h=0.63 in L=97.81 in	I=0.246 in ⁴ E=1.5 10 ⁶ psi
	$ \begin{array}{c} \widehat{y} = \underbrace{(b_{1}h_{1}(h_{2}-\frac{1}{2}h_{1})+(b_{2}h_{1})(\frac{1}{2}h_{2})}_{\begin{array}{c} \widehat{y} = \underbrace{(b_{1}h_{1}(h_{2}-\frac{1}{2}h_{1})+(b_{2}h_{2})(\frac{1}{2}h_{2})}_{\begin{array}{c} \widehat{y} = \underbrace{(b_{1}h_{2}-\frac{1}{2}b_{2}h_{1}^{2}+\frac{1}{2}b_{2}h_{2}^{2}}_{\begin{array}{c} \widehat{y} = \underbrace{b_{2}h_{1}h_{2}-\frac{1}{2}b_{2}h_{2}^{2}}_{\begin{array}{c} \widehat{y} = \underbrace{b_{2}h_{1}h_{2}-\frac{1}{2}b_{2}h_{2}^{2}}_{\begin{array}{c} \widehat{y} = \underbrace{b_{2}h_{1}h_{2}-\frac{1}{2}b_{2}h_{2}^{2}}_{\begin{array}{c} \widehat{y} = \underbrace{b_{2}h_{1}h_{2}-\frac{1}{2}b_{2}h_{2}^{2}}_{\begin{array}{c} \widehat{y} = \underbrace{b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}^{2}}_{\begin{array}{c} \widehat{y} = \underbrace{b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}}_{\begin{array}{c} \widehat{y} = \underbrace{b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}^{2}}_{\begin{array}{c} \widehat{y} = \underbrace{b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}^{2}}_{\begin{array}{c} \widehat{y} = \underbrace{b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}h_{2}-\frac{1}{2}b_{2}h_{2}h_{2}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}h_{2}-\frac{1}{2}b_{2}h_{2}h_{2}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}h_{2}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}h_{2}-\frac{1}{2}b_{2}h_{2}h_{2}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}h_{2}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}h_{2}-\frac{1}{2}b_{2}h_{2}h_{2}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}h_{2}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}-\frac{1}{2}b_{2}h_{2}h_{2}}_{1}}_{\begin{array}{c} \widehat{y} = b_{2}h_{2}-\frac{1}{2}b_{2$	b,= 1132 in h,=0.63 in bz=3.50 in hz=0.50 in L=47.81 in	7=0.707 in I=0.735 in ⁴ E=1.5=10 ⁴ y31
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	$I = \frac{1}{6} (b_{-2} h)^{2} + (b_{-2} h) + (h_{-2} h) + (h_{-2} h)^{2} + h_{-1} h^{2} + h^{2}$	20.4 No V	W=150.05 b 3.284 1/m

Figure 4: Sample calculations of section properties of different bookshelves

Other observations and example titles of other mini-projects

Other examples involving axial loading (cable wires of a bridge, etc., as given previously), torsion loaded members (twist drill, etc.), and combined bending and torsion (pencil sharpener, etc.) proved rich source for the solid mechanics and the machine design students to think, conduct group discussions, make justifiable engineering assumptions, think-pair-share, modeling, carry out analysis, and validate using simple hand calculations. Some students used math and CAE tools to analyze a few of these. Figure 5 shows some of these additional examples. For the animal examples, the students analyzed the strength of femur and other big bones of their body based on estimated loads and load carrying capacities of these body parts. Additionally for the elephant, they discussed the strength of their trunk assuming that it is attacked by a huge crocodile from the pond. All these scenarios have ill-defined data so that the students can engage in active learning to make assumptions and to understand the limitations of the various formulae used in the solid mechanics course. For the pencil sharpener example, although the loads on the crank lever (handle) seem very small, students needed to calculate or estimate the load needed to shear off the pencil material using the properties of a soft wood. This involved understanding the shear yield strength of the wood material and the shear area. Thickness of the wood chips needed to be measured for this. Also they calculated the torsional strength of the pencil lead material. Finding data for these posed challenges to them.

For each report, the students were asked to include the learning outcomes as they perceive by working on the mini-project, and address the safety and societal impact issues if any due to poorly designed components or assemblies. Suggestions were also sought as to how to improve the quality and quantity of work assigned. Apart from this, no other formal assessment (for example, surveys) was done since they do not provide additional information.



Figure 5: Axial loading of femur of animals; pencil sharpener

Finite element Analysis Course

As mentioned before, the students of the Finite Element Analysis course were also challenged to think and to come up with real life applications of members loaded in axial, torsion and bending modes for their final project. They were also required to discuss the safety issues and societal impact of poorly designed members. They used math tool (MatLab) to do the FEA calculations and also UG NX 9.0 CAE tool when possible to model and to perform structural and other analyses of the real life examples. Shown below are examples of the real life components used by the students of Finite Element Analysis course. Figure 6 shows the steering rack example analyzed for axial loading due to the gear pair. Obviously,

steering racks are subjected to more complex loads than just axial loads. Students are to discuss various loads acting at the gear mesh and justify why axial loads may be predominant for the particular case analyzed.



Figure 6: Steering rack along with pinion and ball joint

Although not an everyday example, Figure 7 shows the structural members of an airplane spar (a CAD drawing) subject to complex combined loads. Finding the load and geometry data for such cases is not an easy task without involving a company, who seldom release such data. Therefore, the students used several estimations for the size, material and loads that the wing experiences and did preliminary calculations based on the available information on the internet [7]. Since this is a study of Aeronautics, it is not expected that the students of Finite Element Analysis course should know the details of wing design except for the fact that they should realize applications of simple mechanics principles can be used to understand the preliminary design of such components based on bending strength.



Figure 7: The spar in an airplane wing is an example of combined loading

Another everyday example of engineering application that the students should realize while studying the Frames chapter of a typical Finite Element Analysis course is the analysis of

portal frames. This is an application of Euler beam theory using 1D (or 3D) beam element. Figure 8 shows such an example, although the full-scale model is not expected to be analyzed. Students learned to simply the problem by using longitudinal plane of symmetry to model one segment of the frame. They also used different materials and cross sections for the frame members in the FE models and calculations. At the end of a report, the students were also expected to comment on the safety and societal impact due to poorly designed structures.



Figure 8: The structure of a portal frame building needs to be designed for safety

Several examples similar to these have been thought about by the students of solid mechanics, machine design and finite element analysis classes. These, together with detailed analyses for each course challenged many students from the conventional teaching methodologies. It may be a good idea for each instructor teaching these or any other courses to incorporate mini-projects involving everyday examples to encourage active learning environment during and outside regular class hours.

Overall conclusions

In this paper, a discussion of how real life (everyday) engineering examples are useful to enhance active and project based learning, is presented. Numerous online sources and examples of real life applications are available for quick adaptation by an instructor and to use them in the traditional class room setting (face to face), and for the students to learn outside the class room (blended/flipped class room) environment. As mentioned before, no formal assessment has been done as it was felt those assessments (such as surveys) provide no additional information for improving instruction. Since each student's project report contains learning outcomes as they perceive, and how they map those outcomes with the course learning objectives (CLOs), it was felt that sufficient feedback is available from each report. Moreover, each report contains an attempt to identify the real life applications, safety and societal impacts of poorly designed members. Information such as this provides the instructor some confidence that most of what has been taught is presumably realized by the students.

The general feedback from the students of solid mechanics and other courses taught by the author, and the overall learning outcomes by assigning the mini-projects was generally positive; however, some of the group members felt that it was a lot of work while others felt that the project problems were not well-defined. Ill-defined problems such as a few of these with ambiguous specifications and requirements are a necessary ingredient of creativity and innovation. Due to their heavy workload and perhaps non-uniformity of exposure in other classes of discussing 'everyday examples', few students seem to be not convinced that assigning miniprojects is a good idea. As per their overall performance in the classes, it has been consistently very good with an additional value added to their learning experiences for analyzing real life everyday examples.

In spite of the above arguments, a more formal assessment and learning outcomes of including the real life examples needs to be undertaken; however, the feedback shows that many students appreciated the idea of generating such examples which encouraged them to think critically after going through and understanding the already developed lesson plans and their solution procedures. The inherent ambiguity in the data collection to formulate and to solve the problem proved to be rewarding by way of an appreciation for making justifiable engineering assumptions. In the meanwhile, all the examples developed by the students will be shared with interested faculty teaching these classes so that in turn, they too can develop few more examples for reference by the teaching community.

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